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DIMINISHED UPPER BOUNDS ON THE UNIFICATION MASS SCALES FOR HEAVY HIGGS BOSON MASSES

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We consider dominant three-, four- and ve-loop contributions to λ , the quartic scalar coupling-constant's β -function in the Standard Model. We nd that these terms accelerate the evolution of λ to nonperturbative values, thereby lowering the unication bound for which scalar-couplings are still perburbative. We also nd that these higher order contributions imply a substantial lowering of λ itself before the anticipated onset of nonperturbative physics in the Higgs sector.

The dominant running coupling constants of the standard model evolve with , the renormalization scale, according to two-loop renormalization group equations

$$\frac{d}{d} = \frac{1}{16^{-2}} \left\{ 4^{-2} + 12 \text{ h} \frac{81}{36 \text{h}^{45} \dot{3}^3} \right\}_{344}^{81} = 6264 - 6 \cdot 4 - 4 \cdot \frac{2}{100} g^{453} \dot{3}_{13}^{-35} \dot{5}_{26} \dot{4}_{4}^{-6} \dot{6}_{5}^{-35} \dot{6}_{1}^{-1} = 35 - 6264 - 5 - 3113 \right]$$

$$+ \frac{27}{10} g^{g} + \frac{27}{4} g - \frac{26}{(16^{-2})^{2}} \left\{ -\frac{26}{3} - 24^{-2} \text{h}_{3} - \text{h}_{48}^{-1} \dot{6}_{10} \dot{6}_{10}^{-1} \dot{6}_{10}^{$$

+ 180h 80 h 192h +

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- Y < 0:084 (< 13:3). Hence $_{\rm max}$ = 13:3 is an $upper\ bound$ on the value of for which perturbative Higgs sector physics may still be possible, in that four- and ve-
- loop terms in (8) are equal. The evolution of the coupling constant should also be inclusive of the three-, four- and ve-loop terms of Eq. (8), as in the middle curve,
- since such terms are comparable when $_{\rm max}$ = 13:3. When we augment Eq. (1) with these three- ve loop terms in Eq. (8), and impose the additional requirement that the upper bound on for perturbative